

Answer the following questions to verify your progress.

1. What does the function =IMREAL(X) do?

- A. It calculates the product of the imaginary and the real parts of X
- B. The syntax is really =IMREAL(a,b) and it produces a complex number with a as imaginary and b as real part
- C. It renders the real part of the complex number X
- D. It swaps the real and imaginary parts of X

2. What are the four roots of the equation $x^4=1$?
(Write out your answer in the space provided)

3. In step 12 you calculated the root of $x^{15}=1$. You could consider each root as a vector originating from the origin. The set of solutions then looks like the spokes of a bicycle wheel. What is the vector sum of all solutions? (Integer please)

Vector sum = _____.

4. In last weeks computer lab we have seen the hyperbolic 'trumpets' around a calibration line. Make a sketch showing how you would determine the errors in the value of an unknown using the line with trumpets.

Excel Spreadsheet Assignment

An analyst determines the absorbance of a solution known to contain 4 organic compounds X=A, B, C and D at four different wavelengths $\lambda = 435, 472, 513$ and 570 nm.

The extinction coefficients $\epsilon_{\lambda}(X)$ for the 4 compounds at these 4 wavelengths are known (units lit/mol):

	A	B	C	D	
435		325	3.5	0.1	100
472		50	200	590	0.1
513	1290		700	4.3	12
570	2		0.1	24	1350

The values she finds for the absorbance in a cuvette with $L=1$ cm are:

435	0.070259
472	0.480401
513	0.791769
570	0.433884

What are the four concentrations?

(Hint: Absorbance $A = \epsilon_{\lambda} L c$ is an additive quantity, so you can write out the problem as a set of linear equations. Then write this as a matrix formula and see if you can solve it by matrix algebra.

Hint: the equations have the form

$$A_1 = \epsilon_{11}c_1 + \epsilon_{12}c_2 + \epsilon_{13}c_3 + \epsilon_{14}c_4$$

$$A_2 = \epsilon_{21}c_1 + \epsilon_{22}c_2 + \epsilon_{23}c_3 + \epsilon_{24}c_4$$

$$A_3 = \epsilon_{31}c_1 + \epsilon_{32}c_2 + \epsilon_{33}c_3 + \epsilon_{34}c_4$$

$$A_4 = \epsilon_{41}c_1 + \epsilon_{42}c_2 + \epsilon_{43}c_3 + \epsilon_{44}c_4$$

We can write these compactly in matrix form as:

$$A = \epsilon c$$

Where the knowns are the vector A of absorbances and the matrix of the extinction coefficients. We can solve for the concentrations using the matrix inverse:

$$\epsilon^{-1}A = \epsilon^{-1}\epsilon c$$

Which tells us that

$$c = \epsilon^{-1}A$$