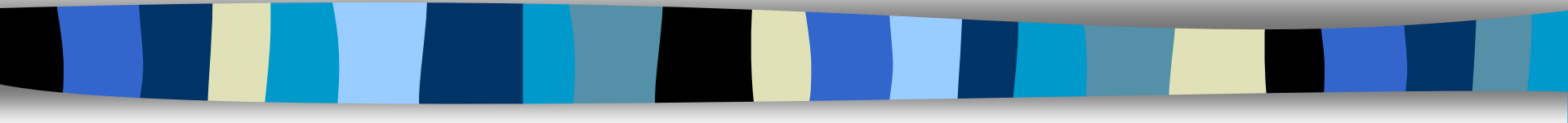
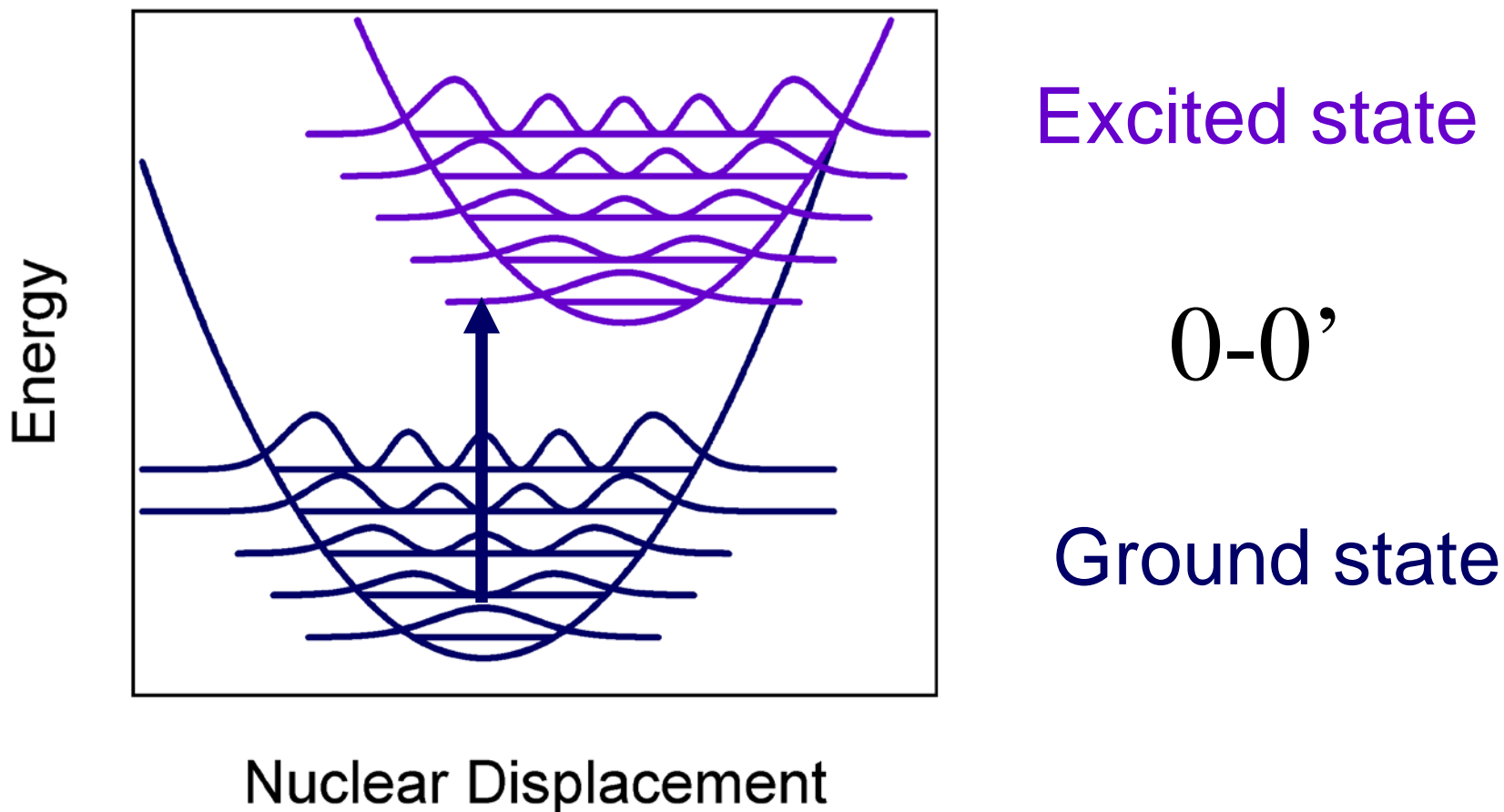


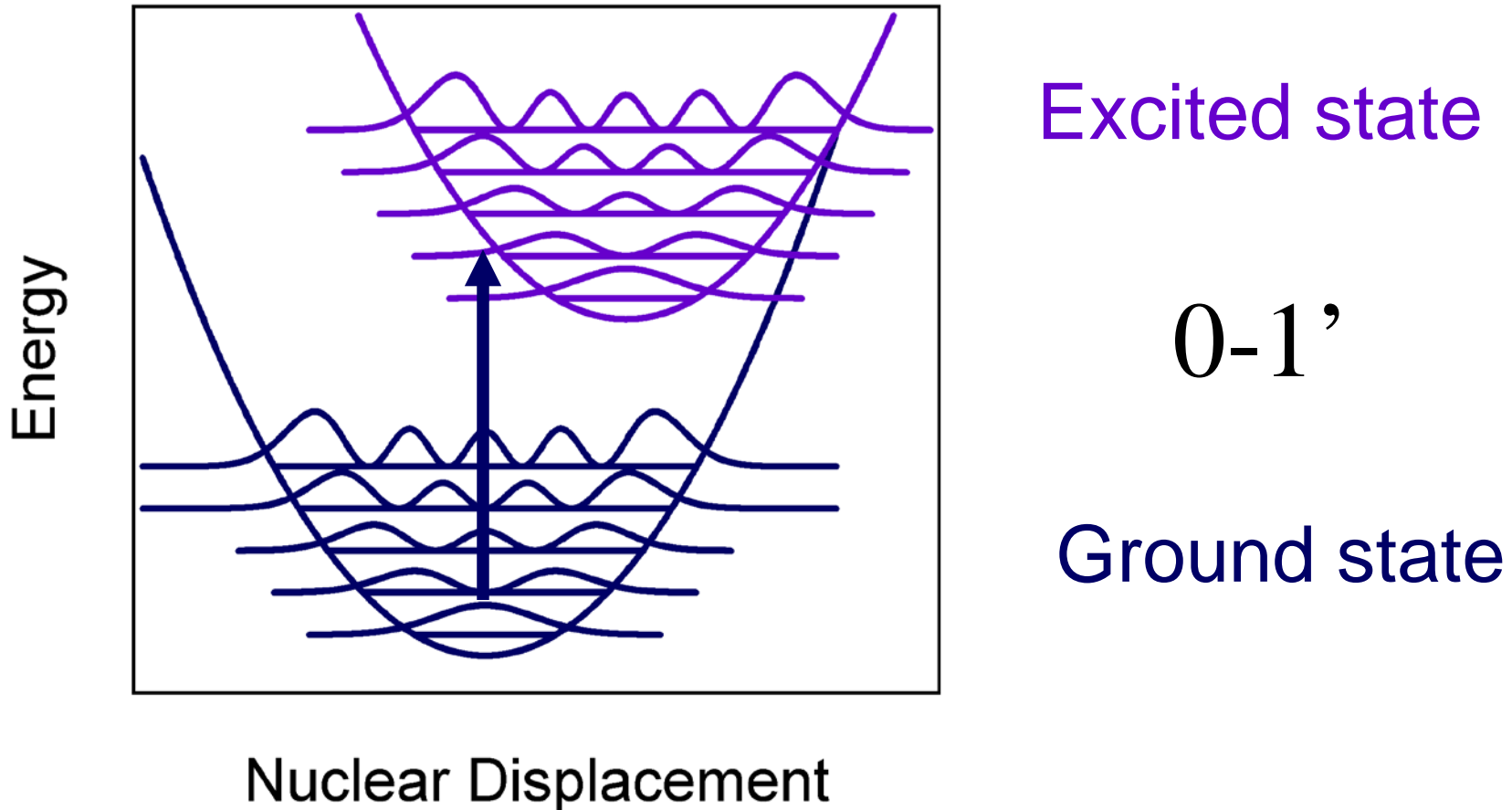
The nuclear part



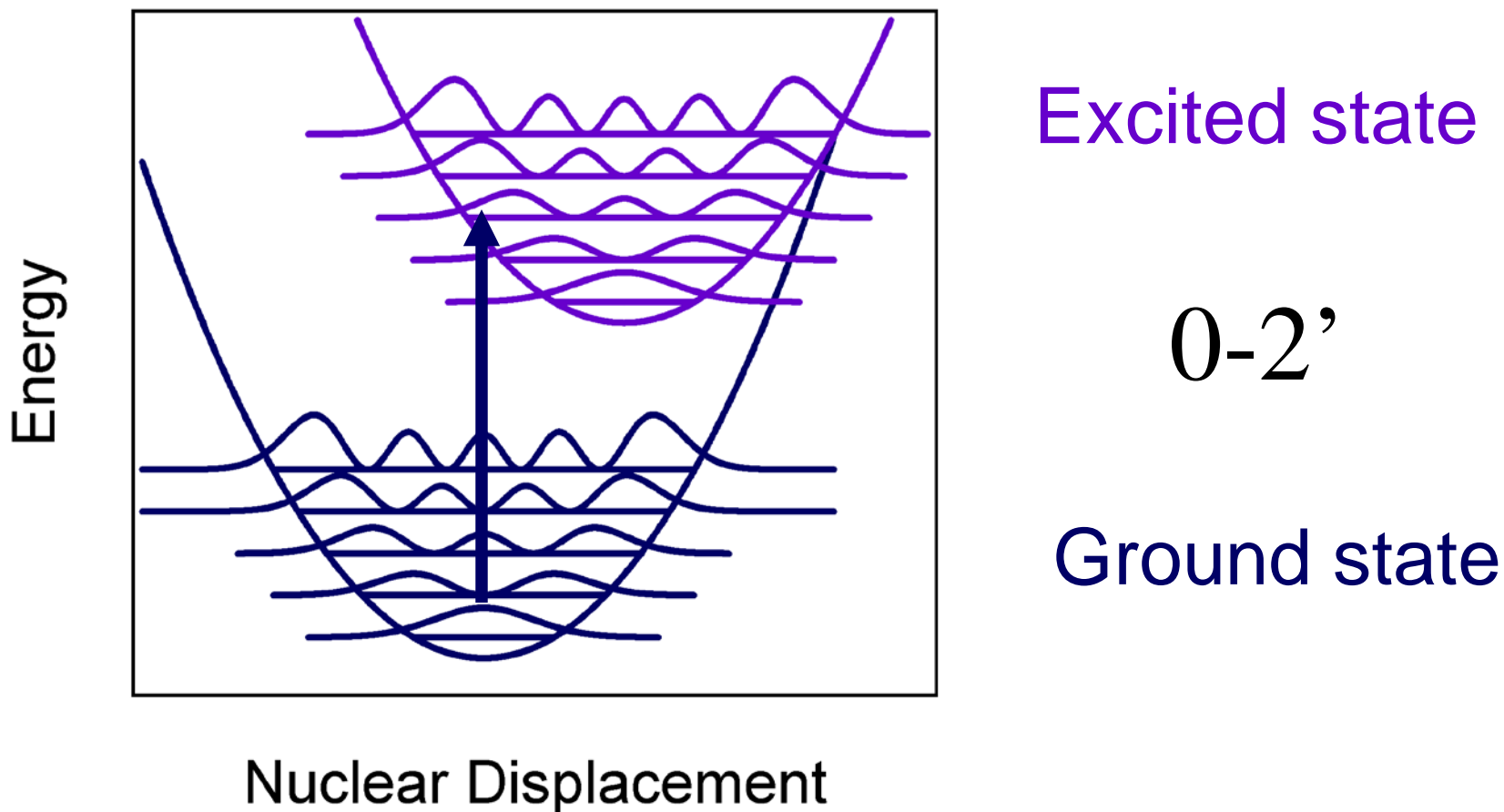
The Franck-Condon factor is due to the overlap of ground state $v=0$ with excited state $v'=0', 1', \text{ etc.}$



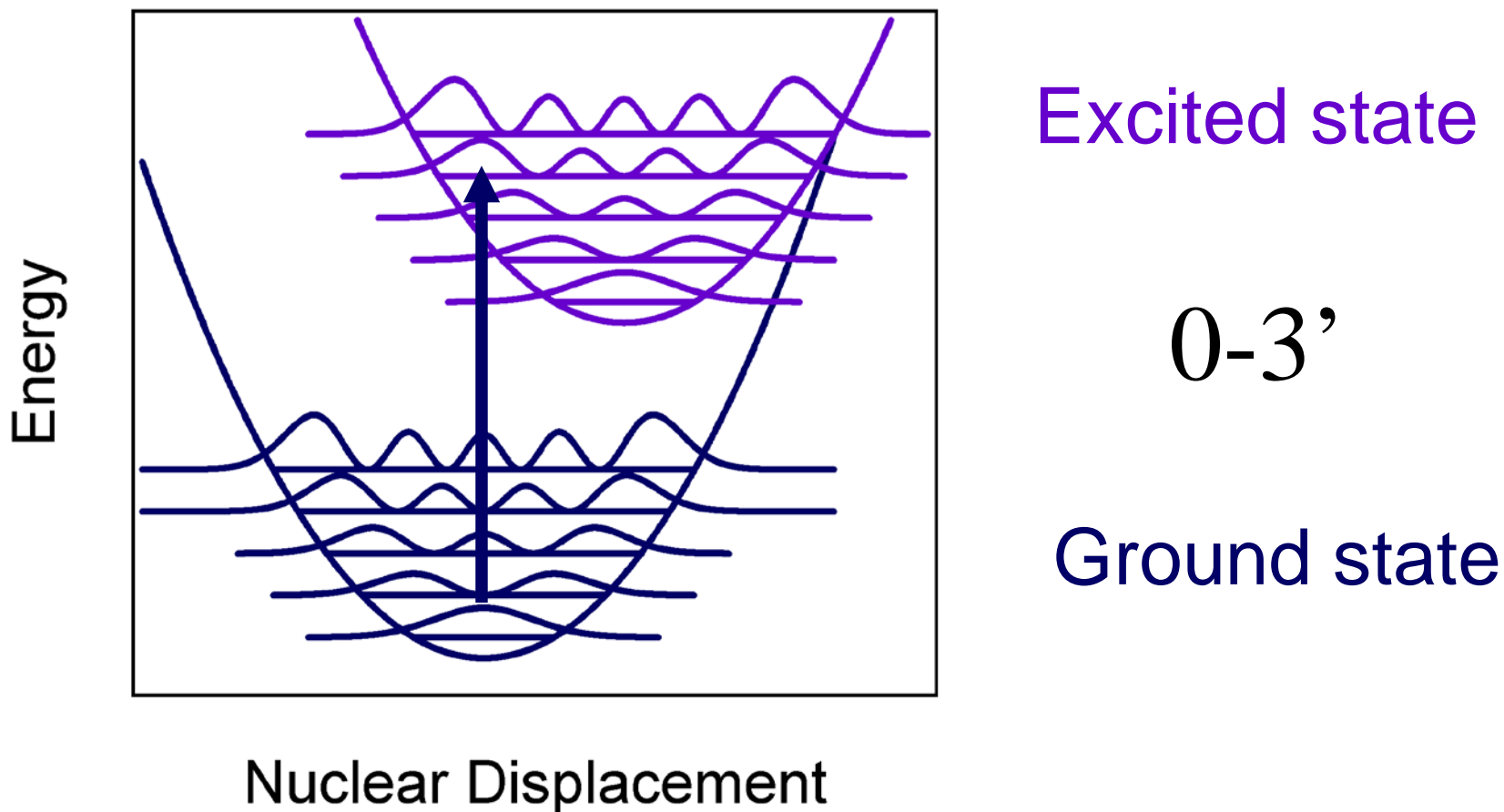
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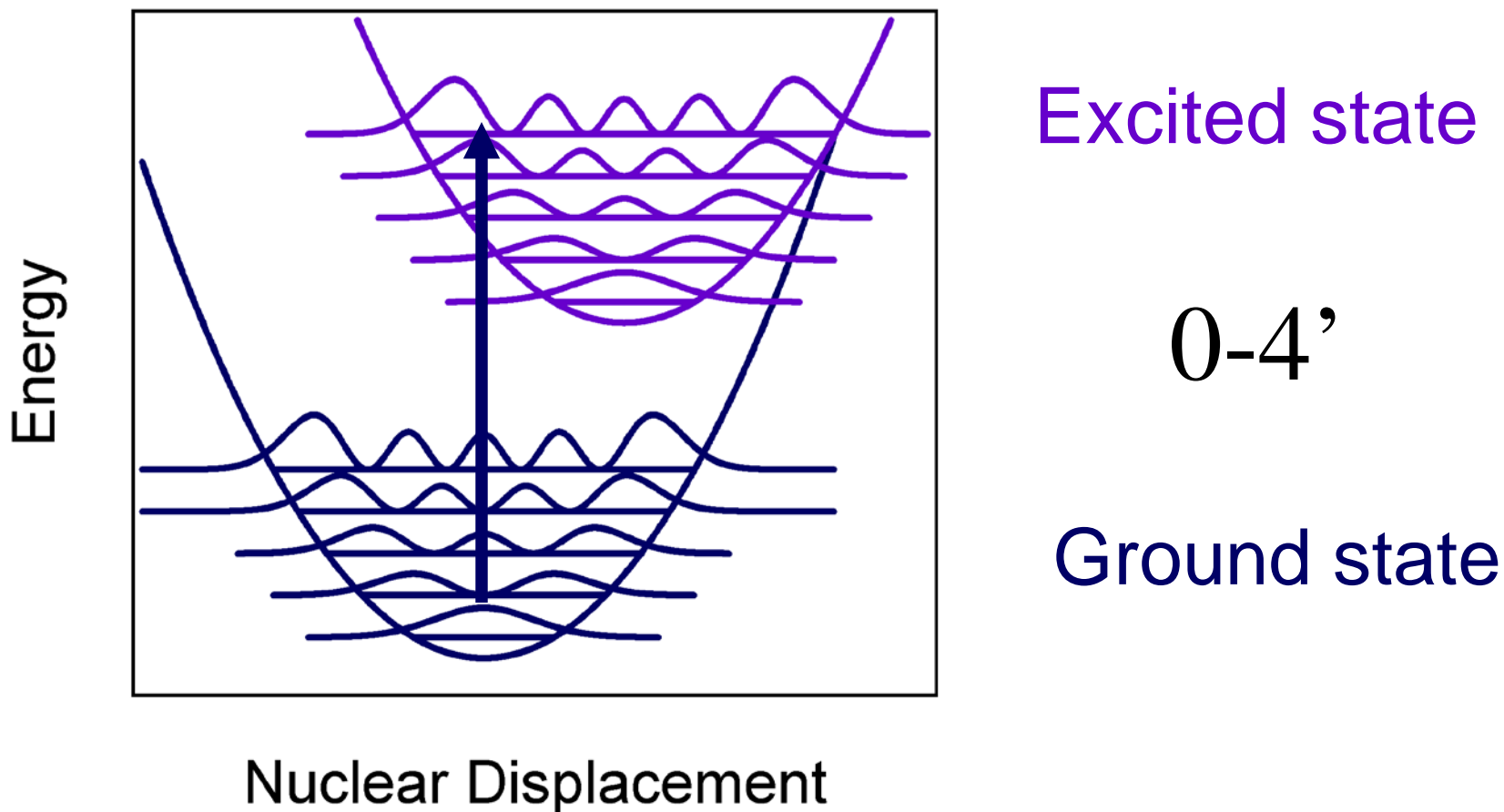
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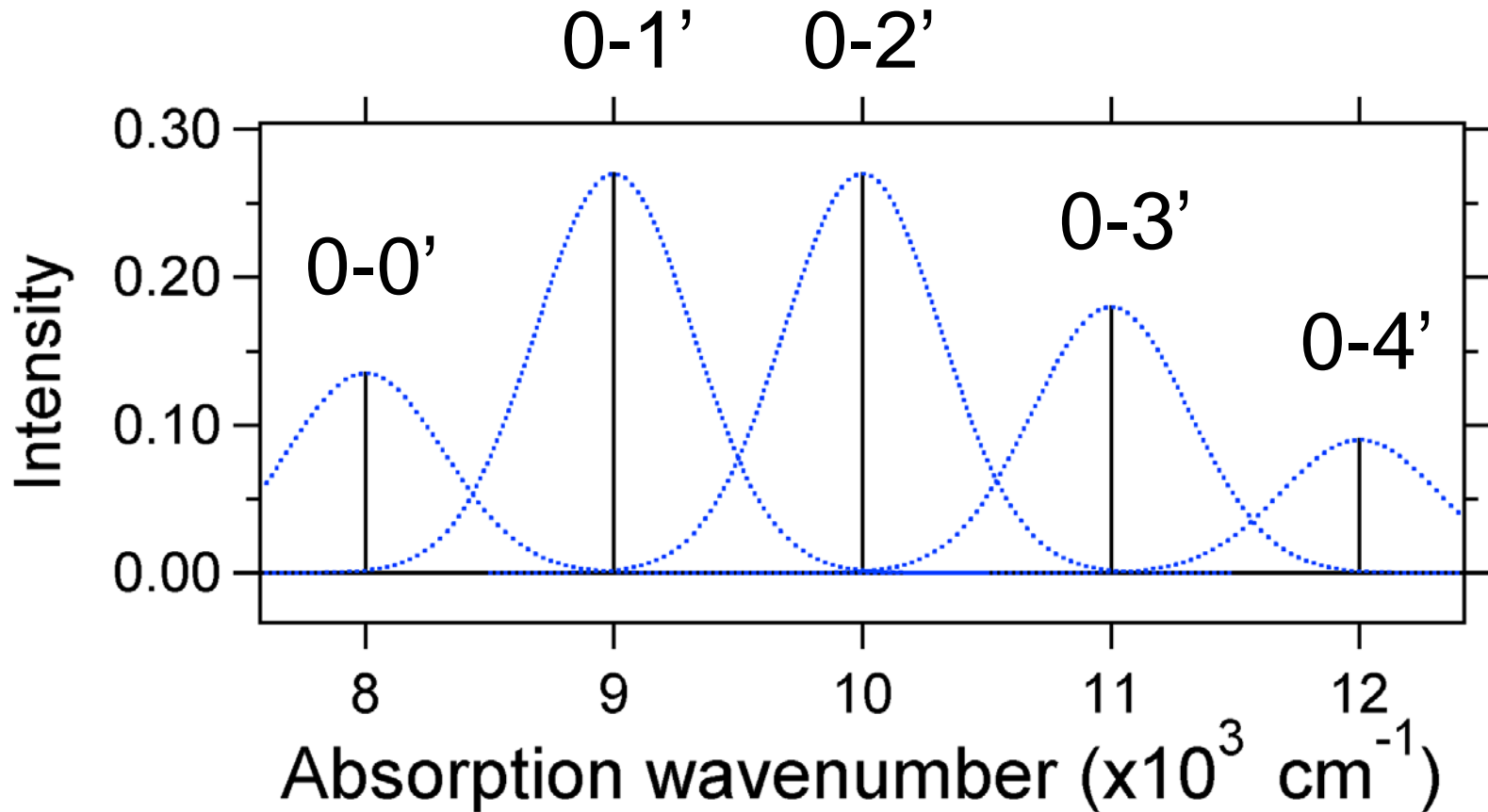
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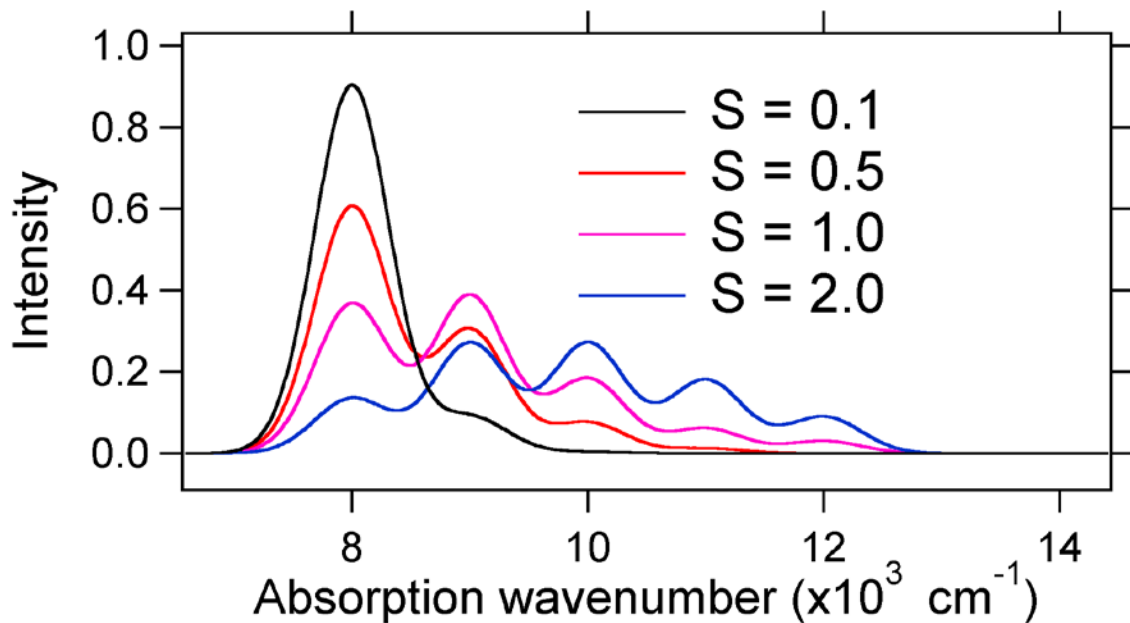
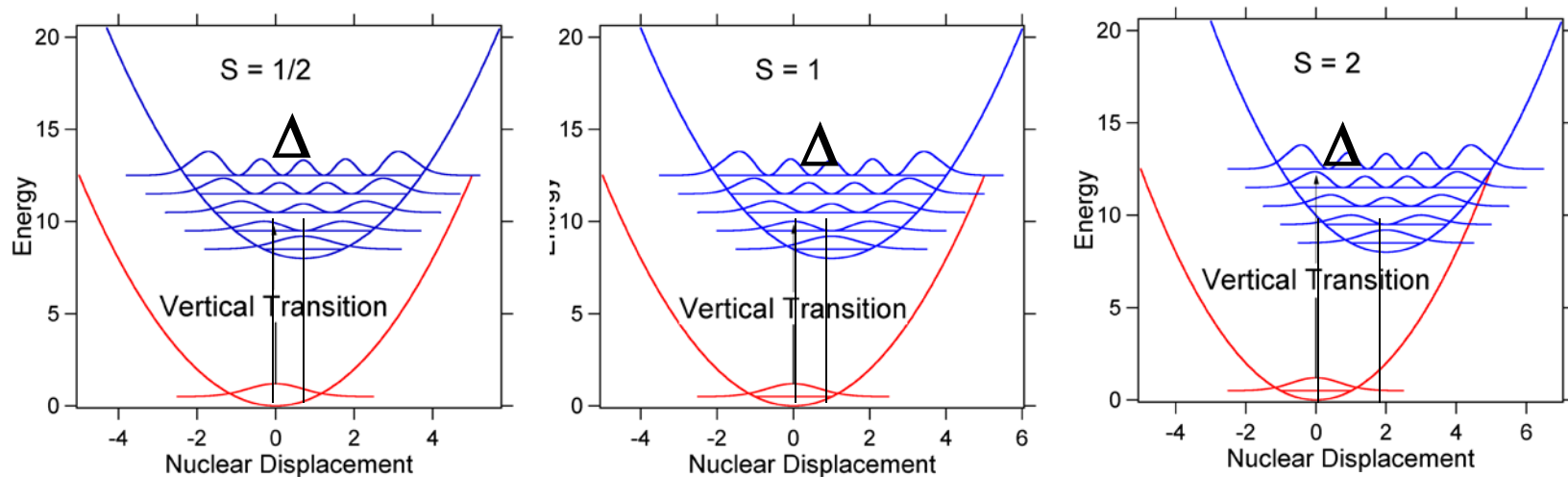


Based on the FC factors we can construct a “stick” spectrum



Calculated assuming $E(0-0') = 8000 \text{ cm}^{-1}$ and vibrational mode of 1000 cm^{-1} . $1 \text{ eV} = 8065.6 \text{ cm}^{-1}$.

The Franck-Condon factor determines the envelop of the absorption lineshape



$S = \Delta^2/2$
 S is electron-phonon coupling
 Δ is nuclear displacement

Analytical expression for the FC factor

The Franck-Condon factor is a vibrational overlap term. It depends on nuclear displacement, which is treated using the parameter S , the electron-vibration (or electron-phonon) coupling. The bigger the displacement the bigger is S . There is a progression of lines with relative intensities given by:

$$FC = \sum_{n=1}^{\infty} \frac{S^n e^{-S}}{n!} \delta(\varepsilon - n\hbar\omega)$$

The delta function gives a stick spectrum spaced by energy equal to the vibrational frequency. This function is also known as a Poisson distribution. For large S this function approaches a Gaussian shape.

